Watering a Lemon Tree: Heterogeneous Risk Taking and Monetary Policy Transmission

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Open questions:

- Why isn't output responding more to stimulus?
- What risk taking are we concerned about?

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Equilibrium features:

- Heterogeneous responses to interest rates and prices
- More risk taking by the wrong agents
- $\rightarrow\,$ Impaired transmission of stimulus to output

Intuition - first best



• First best: All funds invested by most productive type

Intuition - second best



• Second best: Every type trades off net return vs. liquidity risk \rightarrow FOC with interior solution for every borrower type

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- Types respond heterogeneously to equilibrium prices:
 - Changes in interest rate
 - Changes in liquidation values









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- Borrowing/lending $D \ge -E$:
 - Borrowers pay r in expectation
 - Lenders receive r in expectation
 - ightarrow Equilibrium r clears market for loanable funds

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Lemons pricing:

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Lemons pricing:

- Asymmetric information in secondary market
- Liquidation value P only depends on average quality:

$$P=f(q) \quad \text{with} \quad f'(q)>0$$

Monetary policy

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• Changes in L affect r through market clearing:

$$E + L = \int_0^1 D_\theta(r, P) \, d\theta$$

Equilibrium

Definition

The equilibrium is characterized by private decision variables $\{D_{\theta}\}$ and price variables r and P such that:

- **1** Agents choose optimal $D_{\theta}(r, P)$ taking r and P as given.
- **2** The risk free rate r clears the market for loanable funds:

$$E + L = \int_0^1 D_\theta(r, P) \, d\theta$$

3 The secondary market price P is given by P = f(q).

Individual agent behavior

Objective function of type θ :

 $pR\theta \left(D+E\right) - \left(1+r\right)D - \alpha(D)\left(pR\theta - P\right)\left(D+E\right)$

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First order condition for optimal $D_{\theta} > 0$:

$$\underbrace{pR\theta - (1+r)}_{\theta} = \underbrace{\left(\alpha'(D_{\theta})\left(D_{\theta} + E\right) + \alpha(D_{\theta})\right)\left(pR\theta - P\right)}_{\theta}$$

marginal excess return

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Proposition 1

More productive agents borrow more and face higher liquidity risk

Response to interest rate changes

Proposition 2

All borrowers respond to changes in r:

$$rac{\partial D_{ heta}}{\partial r} < 0$$
 for all $heta > heta^*$

But: Higher types respond less than lower types:

$$\left| \frac{\partial D_{\theta}}{\partial r} \right|$$
 is decreasing in θ

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- () "Marginal risk": $\alpha'(D) (D + E) + \alpha(D)$ increasing in D
- 2 "Value at risk": $pR\theta P$ increasing in θ
- $\rightarrow\,$ Higher types need smaller adjustment in D

Response to price changes

Proposition 3

All borrowers respond to changes in P:

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Higher types can respond more than lower types:

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Effect on first order condition:

- r: generates the same slack for all types
- P: generates more slack for higher types
- $\rightarrow\,$ goes against heterogeneous tightening through D

General equilibrium with monetary policy

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• Effect of changing stimulus L:



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$$I = E + L \quad \Rightarrow \quad \frac{dI}{dL} = 1$$

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- Who invests \rightarrow change in quality is key
- Stimulus works through interest rate:



Quality elasticity

$$q = \frac{\int_{\theta^*}^1 pR\theta \left(D_{\theta}(\boldsymbol{r}, \boldsymbol{P}) + E \right) d\theta}{\int_{\theta^*}^1 \left(D_{\theta}(\boldsymbol{r}, \boldsymbol{P}) + E \right) d\theta}$$

• Interest rate has direct and indirect effect:



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Corollary 1

The direct effect of a decline in the interest rate r is a deterioration in average investment quality q, i.e., $\partial q/\partial r > 0$.

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The direct effect of a decline in the interest rate r is a deterioration in average investment quality q, i.e., $\partial q/\partial r > 0$.

Corollary 2

If high types respond sufficiently strongly to changes in P, the indirect effect amplifies the quality deterioration.

Stimulus pass-through

- Quality deterioration depends on how much interest rate moves
- Stimulus pass-through is inverse of demand elasticity:

$$\frac{dr}{dL} = \left(\frac{d}{dr}\int_{\theta^*}^1 \left(D_\theta(\mathbf{r}, \mathbf{P}) + E\right)d\theta\right)^{-1}$$

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Corollary 3

The indirect effect through the liquidation value P amplifies the stimulus pass-through by making loan demand less elastic.

Numerical example





- Frictions can severely impair transmission of monetary policy
- Stimulus may end up counterproductive, reducing output





- More severe frictions reduce output further
 - Aggregate investment I = E + L is the same
 - $\rightarrow\,$ Drop only due to change in distribution across types!

Conclusion

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